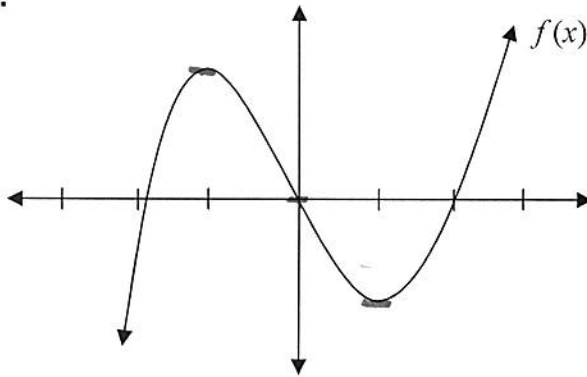


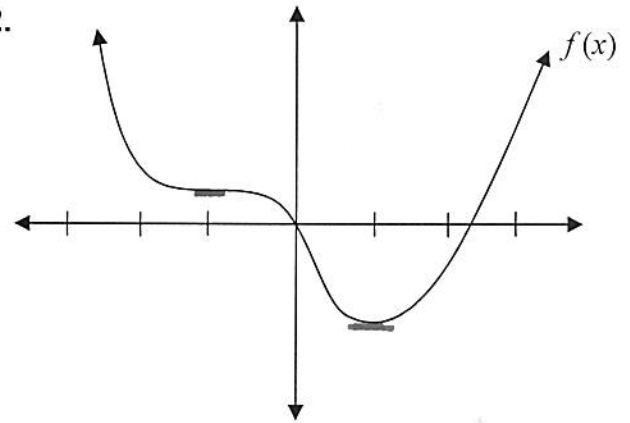
Given the graph of  $f(x)$ , describe find where  $f'(x)$  and  $f''(x)$  are zero, positive, and negative.

1.



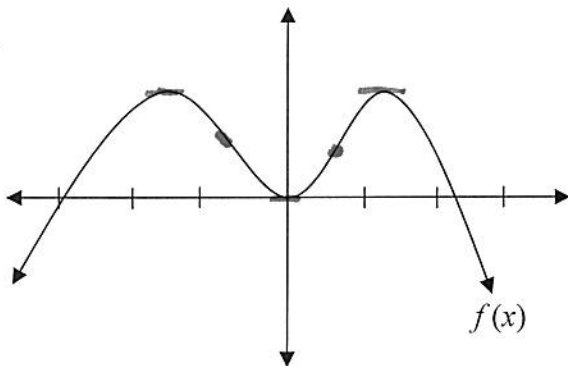
$f'(x) = 0$  @  $x = -1, 0, 1$   
 $f'(x) > 0$  on  $(-\infty, -1) \cup (1, \infty)$  b/c  $f$  inc  
 $f'(x) < 0$  on  $(-1, 1)$  b/c  $f$  dec  
 $f''(x) = 0$  @  $x = 0$  b/c  $f$  changes concavity  
 $f'' > 0$  on  $(0, \infty)$  b/c  $f$  is conc. up  
 $f'' < 0$  on  $(-\infty, 0)$  b/c  $f$  is conc. down

2.



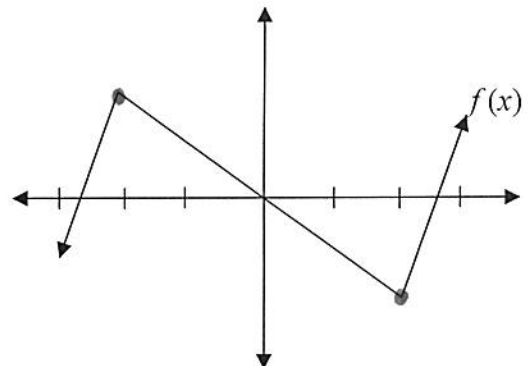
$f'(x) = 0$  @  $x = -1, x = 1$   
 $f'(x) > 0$  on  $(1, \infty)$  b/c  $f$  inc  
 $f'(x) < 0$  on  $(-\infty, -1) \cup (-1, 1)$  b/c  $f$  dec  
 $f''(x) = 0$  @  $x = -1, x = 0$  b/c  $f$  changes concavity.  
 $f''(x) > 0$  on  $(-\infty, -1) \cup (0, \infty)$  b/c  $f$  concave up  
 $f''(x) < 0$  on  $(-1, 0)$  b/c  $f$  concave down

3.



$f'(x) = 0$  @  $x = -1.5, 0, 1.5$   
 $f'(x) > 0$  on  $(-\infty, -1.5) \cup (0, 1.5)$  b/c  $f$  inc  
 $f'(x) < 0$  on  $(-1.5, 0) \cup (1.5, \infty)$  b/c  $f$  dec  
 $f''(x) = 0$  @  $x = -1, x = 1$  b/c  $f$  changes concavity  
 $f''(x) < 0$  on  $(-\infty, -1) \cup (1, \infty)$  b/c  $f$  concave down  
 $f''(x) > 0$  on  $(-1, 1)$  b/c  $f$  is concave up

4.



$f'(x) = 0 \rightarrow$  nowhere  
 $f'(x)$  DNE @  $x = 2, x = -2$   
 $f'(x) > 0$  on  $(-\infty, -2) \cup (2, \infty)$  b/c  $f$  inc  
 $f'(x) < 0$  on  $(-2, 2)$  b/c  $f$  dec  
 $f''(x) = 0$  nowhere b/c  $f$  doesn't have any concavity  
 $f''(x) > 0$  } nowhere