

## Calculus BC Schedule--Unit 2/Chapter 2 Derivatives

	Monday	Tuesday	Wednesday	Thursday	Friday
<b>Week 0</b>	12-Aug	13-Aug	14-Aug	15-Aug	16-Aug
<b>Lesson</b>	1/2 DAY Sophomores ONLY!!!	Syllabus & Rules	Intro to Calculus	2.1 Rates of Change and the Derivative	2.2 The Derivative and Its Properties
<b>HMWK</b>	<b>No Additional Homework</b>	<b>HW1</b> --Practice Using Sapling Learning	<b>HW2</b> --Video on Definition of a Derivative OPEN HOUSE 5:30-7:30pm	<b>HW3</b> --p.168 #23,26,33,41 p.179 #13,15	<b>HW4</b> --p.171 AP Practice #4,6,8, p.181 #55,57,59, 63,67 p.182 AP Practice #2
<b>Week 1</b>	19-Aug	20-Aug	21-Aug	22-Aug	23-Aug
<b>Lesson</b>	2.3 Derivative of a Polynomial and $e^x$	2.3 Derivative of a Polynomial and $e^x$	<b>EARLY DISMISSAL</b> 2.2 Differentiability	2.2 Differentiability <b>Quiz 2.1, 2.2 &amp; 2.3</b>	2.2 Differentiability
<b>HMWK</b>	<b>HW5</b> --p.190 #7,12, 14,25,35,37ab,43 p.193 AP Practice #1,4, Calculator #11	<b>HW6</b> --p.190 #45,47ace,51,74 Calculator p.190 #63, p.193 AP Practice #8, Video on Differentiability	<b>HW7</b> --p.179 #20,21,35,39,44 <b>Study for Quiz 2.1, 2.2 &amp; 2.3</b>	<b>HW8</b> --p.179 #24,49,72, p.182 AP Practice #6,7,9	<b>HW9</b> --p.179 #25, 31,32,33,34,60, p.182 AP Practice #1,11
<b>Week 2</b>	26-Aug	27-Aug	28-Aug	29-Aug	30-Aug
<b>Lesson</b>	2.4 Differentiating the Product of Two Functions	2.4 Differentiating the Quotient of Two Functions	<b>EARLY DISMISSAL</b> 2.4 Differentiating Higher Order Derivatives	2.4 Differentiating Higher Order Derivatives <b>Quiz 2.2 &amp; 2.4</b>	2.5 Derivative of Trigonometric Functions
<b>HMWK</b>	<b>HW10</b> --p.202 #9, 17,45,73ab,81a, 82c p.206 AP Practice #4	<b>HW11</b> --p.202 #23, 33,37,51,81c,82e, Video on Particle Motion	<b>HW12</b> --p.203 #57, 84,93abcd, p.207 AP Practice #6 <b>Study for Quiz 2.2 &amp; 2.4</b>	<b>HW13</b> --Particle Motion Practice	<b>HW14</b> --p.212 #5, 15,19,31,45, Calculator #57
<b>Week 3</b>	2-Sep	3-Sep	4-Sep	5-Sep	6-Sep
<b>Lesson</b>	<b>NO SCHOOL --</b> Labor Day	2.5 Derivative of Trigonometric Functions	<b>EARLY DISMISSAL</b> 9.2 Tangent Lines to Parametrics 9.5 Derivatives of a Vector Function	<i>Unit 2 REVIEW</i>	<b>Unit 2 TEST</b>
<b>HMWK</b>	<b>No Additional Homework</b>	<b>HW15</b> --p.668 AP Practice #1,3, p.214 AP Practice #2,3, 4,9 Video on Derivative of Vectors/Parametric	<b>HW16</b> --p.658 #2,3, 7,17,21,29 p.681 #3,57a p.687 #1,5a,24 p.689 AP Practice #3	<b>HW17</b> --p.217 #1b, 10,14,17,18,24,34, 55 62,67,74,76,77, p.699 #8a,39c,53	<b>No Additional Homework</b>
<b>Week 4</b>	9-Sep				
<b>Lesson</b>	AP Activity: Unit 2				
<b>HMWK</b>	AP Activity: Unit 2 due Sep 16				

# Calculus BC Schedule--Unit 2/Chapter 2 Derivatives

## UNIT 2: Differentiation

### CHA-2

Derivatives allow us to determine rates of change at an instant by applying limits to knowledge about rates of change over intervals.

### LEARNING OBJECTIVE

#### CHA-2.A

Determine average rates of change using difference quotients.

#### CHA-2.B

Represent the derivative of a function as the limit of a difference quotient.

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Represent the derivative of a function as the limit of a difference quotient.

#### CHA-2.C

Determine the equation of a line tangent to a curve at a given point.

#### CHA-2.D

Estimate derivatives.

### ESSENTIAL KNOWLEDGE

#### CHA-2.A.1

The difference quotients  $\frac{f(a+h)-f(a)}{h}$  and  $\frac{f(x)-f(a)}{x-a}$  express the average rate of change of a function over an interval.

#### CHA-2.B.1

The instantaneous rate of change of a function at  $x = a$  can be expressed by  $\lim_{h \rightarrow 0} \frac{f(a+h)-f(a)}{h}$  or  $\lim_{x \rightarrow a} \frac{f(x)-f(a)}{x-a}$ , provided the limit exists. These are equivalent forms of the definition of the derivative and are denoted  $f'(a)$ .

#### CHA-2.B.2

The derivative of  $f$  is the function whose value at  $x$  is  $\lim_{h \rightarrow 0} \frac{f(x+h)-f(x)}{h}$ , provided this limit exists.

#### CHA-2.B.3

For  $y = f(x)$ , notations for the derivative include  $\frac{dy}{dx}$ ,  $f'(x)$ , and  $y'$ .

#### CHA-2.B.4

The derivative can be represented graphically, numerically, analytically, and verbally.

#### CHA-2.C.1

The derivative of a function at a point is the slope of the line tangent to a graph of the function at that point.

#### CHA-2.D.1

The derivative at a point can be estimated from information given in tables or graphs.

#### CHA-2.D.2

Technology can be used to calculate or estimate the value of a derivative of a function at a point.

### FUN-3

Recognizing opportunities to apply derivative rules can simplify differentiation.

### LEARNING OBJECTIVE

#### FUN-3.A

Calculate derivatives of familiar functions.

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#### FUN-3.B

Calculate derivatives of products and quotients of differentiable functions.

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Calculate derivatives of products and quotients of differentiable functions.

#### FUN-3.F

Determine higher order derivatives of a function.

### ESSENTIAL KNOWLEDGE

#### FUN-3.A.1

Direct application of the definition of the derivative and specific rules can be used to calculate the derivative for functions of the form  $f(x) = x^r$ .

#### FUN-3.A.2

Sums, differences, and constant multiples of functions can be differentiated using derivative rules.

#### FUN-3.A.3

The power rule combined with sum, difference, and constant multiple properties can be used to find the derivatives for polynomial functions.

#### FUN-3.A.4

Specific rules can be used to find the derivatives for sine, cosine, exponential, and logarithmic functions.

#### FUN-3.B.1

Derivatives of products of differentiable functions can be found using the product rule.

#### FUN-3.B.2

Derivatives of quotients of differentiable functions can be found using the quotient rule.

#### FUN-3.B.3

Rearranging tangent, cotangent, secant, and cosecant functions using identities allows differentiation using derivative rules.

#### FUN-3.F.1

Differentiating  $f'$  produces the second derivative  $f''$ , provided the derivative of  $f'$  exists; repeating this process produces higher-order derivatives of  $f$ .

#### FUN-3.F.2

Higher-order derivatives are represented with a variety of notations. For  $y = f(x)$ , notations for the second derivative include  $\frac{d^2y}{dx^2}$ ,  $f''(x)$ , and  $y''$ . Higher-order derivatives can be denoted  $\frac{d^n y}{dx^n}$  or  $f^{(n)}(x)$ .

### FUN-2

Recognizing that a function's derivative may also be a function allows us to develop knowledge about the related behaviors of both.

### LEARNING OBJECTIVE

#### FUN-2.A

Explain the relationship between differentiability and continuity.

### ESSENTIAL KNOWLEDGE

#### FUN-2.A.1

If a function is differentiable at a point, then it is continuous at that point. In particular, if a point is not in the domain of  $f$ , then it is not in the domain of  $f'$ .

#### FUN-2.A.2

A continuous function may fail to be differentiable at a point in its domain.

### FUN-8

Solving an initial value problem allows us to determine an expression for the position of a particle moving in the plane.

### LEARNING OBJECTIVE

#### FUN-8.B

Determine values for positions and rates of change in problems involving planar motion. **BC ONLY**

### ESSENTIAL KNOWLEDGE

#### FUN-8.B.1

Derivatives can be used to determine velocity, speed, and acceleration for a particle moving along a curve in the plane defined using parametric or vector-valued functions. **BC ONLY**

#### FUN-8.B.2

For a particle in planar motion over an interval of time, the definite integral of the velocity vector represents the particle's displacement (net change in position) over the interval of time, from which we might determine its position. The definite integral of speed represents the particle's total distance traveled over the interval of time. **BC ONLY**

# Calculus BC Schedule--Unit 2/Chapter 2 Derivatives

**CHA-3**

Derivatives allow us to solve real-world problems involving rates of change.

**LEARNING OBJECTIVE****CHA-3.B**

Calculate rates of change in applied contexts.

**CHA-3.G**

Calculate derivatives of parametric functions.

**BC ONLY**

**CHA-3.G**

Calculate derivatives of parametric functions.

**BC ONLY**

**CHA-3.H**

Calculate derivatives of vector-valued functions.

**BC ONLY**

**ESSENTIAL KNOWLEDGE****CHA-3.B.1**

The derivative can be used to solve rectilinear motion problems involving position, speed, velocity, and acceleration.

**CHA-3.G.1**

Methods for calculating derivatives of real-valued functions can be extended to parametric functions. **BC ONLY**

**CHA-3.G.2**

For a curve defined parametrically, the value of  $\frac{dy}{dx}$  at a point on the curve is the slope of the line tangent to the curve at that point.  $\frac{dy}{dx}$ , the slope of the line tangent to a curve defined using parametric equations, can be determined by dividing  $\frac{dy}{dt}$  by  $\frac{dx}{dt}$ , provided  $\frac{dx}{dt}$  does not equal zero. **BC ONLY**

**CHA-3.G.3**

$\frac{d^2y}{dx^2}$  can be calculated by dividing  $\frac{d}{dt}\left(\frac{dy}{dx}\right)$  by  $\frac{dx}{dt}$ . **BC ONLY**

**CHA-3.H.1**

Methods for calculating derivatives of real-valued functions can be extended to vector-valued functions. **BC ONLY**

**LIM-3**

Reasoning with definitions, theorems, and properties can be used to determine a limit.

**LEARNING OBJECTIVE****LIM-3.A**

Interpret a limit as a definition of a derivative.

**ESSENTIAL KNOWLEDGE****LIM-3.A.1**

In some cases, recognizing an expression for the definition of the derivative of a function whose derivative is known offers a strategy for determining a limit.