

## Calculus BC Schedule--Unit 5 (Chapter 6) The Definite Integral

	Monday	Tuesday	Wednesday	Thursday	Friday
<b>Week 11</b>	28-Oct	29-Oct	30-Oct	31-Oct	1-Nov
<b>Lesson</b>		6.1 Area, 6.11 Midpoint Rule	<b>EARLY DISMISSAL</b> 6.1 Area, 6.11 Midpoint Rule	6.2 The Definite Integral	6.2 The Definite Integral
<b>HMWK</b>		<b>HW1</b> --p.396 #2,3,(make tables of values) 5ab, p.411 AP Practice #1,10a, p.514 #5, Calculator p.515 #26ab,27	<b>HW2</b> --p.410 #63,66, p.411 #9a, p.461 AP Practice #10, p.514 #6, Calculator p.515 #28	<b>HW3</b> --p.408 #13,14,17,27-30, p.412 AP Practice #10bd	<b>HW4</b> --Definite Integrals HW Handou
<b>Week 12</b>	4-Nov	5-Nov	6-Nov	7-Nov	8-Nov
<b>Lesson</b>	6.4 Properties of the Definite Integral	<b>NO SCHOOL --</b> Election Day	6.5 Indefinite Integral	6.3 Fundamental Theorem of Calculus <b>Quiz 6.1, 6.2 &amp; 6.4</b>	6.5 Method of Substitution
<b>HMWK</b>	<b>HW5</b> --p.408 #15,16, p.432 #9, p.437 AP Practice #1,3,11, p.460 AP Practice #14bc	<b>No Additional Homework</b>	<b>HW6</b> --p.449 #9, 10,11,12,13, p.453 AP Practice #1 <b>Study for Quiz 6.1, 6.2 &amp; 6.4</b>	<b>HW7</b> --p.420 #19, 22,27,29,35,37 (check all answers with Calculator)	<b>HW8</b> --p.449 #21-27,49
<b>Week 13</b>	11-Nov	12-Nov	13-Nov	14-Nov	15-Nov
<b>Lesson</b>	6.5 Method of Substitution	6.5 Method of Substitution	<b>EARLY DISMISSAL</b> 6.6 Integration by Parts	6.6 Integration by Parts <b>Quiz 6.3 &amp; 6.5</b>	6.10 Integration Using Partial Fractions
<b>HMWK</b>	<b>HW9</b> --p.449 #29, 30,31,37,40,53, p.453 AP Practice #6,7,13	<b>HW10</b> --p.450 #63b,71,73,79,96, p.453 AP Practice #4,8, p.696 AP Practice #3,4 (check all answers with Calculator)  <i>November IML Math Contest after school</i>	<b>HW11</b> --p.471 #3,5,8,13,31 p.473 AP Practice #5,6  <b>Study for Quiz 6.3 &amp; 6.5</b>	<b>HW12</b> --p.471 #41,46,51,53, p.473 AP Practice #4	<b>HW13</b> --p.502 #3,7,21,33,49, p.504 AP Practice #3

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	Monday	Tuesday	Wednesday	Thursday	Friday
<b>Week 14</b>	<i>18-Nov</i>	<i>19-Nov</i>	<i>20-Nov</i>	<i>21-Nov</i>	<i>22-Nov</i>
<b>Lesson</b>	6.4 MVT for Integrals & Average Value	6.3 Fundamental Theorem of Calculus	<b>EARLY DISMISSAL</b> 6.3 Fundamental Theorem of Calculus	6.11 Trapezoid Sums	6.11 Trapezoid Sums
<b>HMWK</b>	<b>HW14</b> --p.434 #71,81b, p.437 AP Practice #2, p.451 #101, p.454 AP Practice #9, Calculator p.434 #98	<b>HW15</b> --p.420 #5,7,11,15,17, p.423 AP Practice #6,7	<b>HW16</b> --p.420 #13,18, p.424 AP Practice #9,10,12, Calculator p.421 #63ab, p.424 AP Practice #11	<b>HW17</b> --p.514 #3, Calculator p.515 #9,25c,26c,30a	<b>HW18</b> --p.516 #31,32, AP Practice #1-4
<b>Week 14</b>	<i>25-Nov</i>	<i>26-Nov</i>	<i>27-Nov</i>	<i>28-Nov</i>	<i>29-Nov</i>
<b>Lesson</b>	<i>Unit 5 Review (Book Chapter 6)</i>	<b>Unit 5 Test (Book Chapter 6)</b>	<b>NO SCHOOL --</b> Day Before Turkey Day	<b>NO SCHOOL --</b> Turkey Day	<b>NO SCHOOL --</b> <i>Day After Turkey Day</i>
<b>HMWK</b>	<b>HW19</b> --p.458 #9,15,19,23,32,41, 44, AP Practice #8,9,12, p.535 #25,27, p.536 AP Review #3,5,6	<b>No Additional Homework</b>	<b>No Additional Homework</b>	<b>No Additional Homework</b>	<b>No Additional Homework</b>
<b>Week 15</b>	<i>2-Dec</i>				
<b>Lesson</b>	AP Activity: Unit 5 (Book Chapter 6)				
<b>HMWK</b>	AP Activity: Unit 5 due Dec 9				

# Calculus BC Schedule--Unit 5 (Chapter 6) The Definite Integral

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## UNIT 5: Definite Integrals

**CHA-4**

Definite integrals allow us to solve problems involving the accumulation of change over an interval.

### LEARNING OBJECTIVE

**CHA-4.A**

Interpret the meaning of areas associated with the graph of a rate of change in context.

### ESSENTIAL KNOWLEDGE

**CHA-4.A.1**

The area of the region between the graph of a rate of change function and the  $x$  axis gives the accumulation of change.

**CHA-4.A.2**

In some cases, accumulation of change can be evaluated by using geometry.

**CHA-4.A.3**

If a rate of change is positive (negative) over an interval, then the accumulated change is positive (negative).

**CHA-4.A.4**

The unit for the area of a region defined by rate of change is the unit for the rate of change multiplied by the unit for the independent variable.

**LIM-5**

Definite integrals can be approximated using geometric and numerical methods.

### LEARNING OBJECTIVE

**LIM-5.A**

Approximate a definite integral using geometric and numerical methods.

### ESSENTIAL KNOWLEDGE

**LIM-5.A.1**

Definite integrals can be approximated for functions that are represented graphically, numerically, analytically, and verbally.

**LIM-5.A.2**

Definite integrals can be approximated using a left Riemann sum, a right Riemann sum, a midpoint Riemann sum, or a trapezoidal sum; approximations can be computed using either uniform or nonuniform partitions.

**LIM-5.A.3**

Definite integrals can be approximated using numerical methods, with or without technology.

**LIM-5.A.4**

Depending on the behavior of a function, it may be possible to determine whether an approximation for a definite integral is an underestimate or overestimate for the value of the definite integral.

**LIM-5.B**

Interpret the limiting case of the Riemann sum as a definite integral.

**LIM-5.B.1**

The limit of an approximating Riemann sum can be interpreted as a definite integral.

**LIM-5.B.2**

A Riemann sum, which requires a partition of an interval  $I$ , is the sum of products, each of which is the value of the function at a point in a subinterval multiplied by the length of that subinterval of the partition.

**LIM-5.C**

Represent the limiting case of the Riemann sum as a definite integral.

**LIM-5.C.1**

The definite integral of a continuous function  $f$  over the interval  $[a, b]$ , denoted by  $\int_a^b f(x)dx$ , is the limit of Riemann sums as the widths of the subintervals approach 0. That is,  $\int_a^b f(x)dx = \lim_{\max \Delta x_i \rightarrow 0} \sum_{i=1}^n f(x_i^*)\Delta x_i$ , where  $n$  is the number of subintervals,  $\Delta x_i$  is the width of the  $i$ th subinterval, and  $x_i^*$  is a value in the  $i$ th subinterval.

**LIM-5.C.2**

A definite integral can be translated into the limit of a related Riemann sum, and the limit of a Riemann sum can be written as a definite integral.

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**FUN-6**

Recognizing opportunities to apply knowledge of geometry and mathematical rules can simplify integration.

**LEARNING OBJECTIVE**

**FUN-6.A**

Calculate a definite integral using areas and properties of definite integrals.

**FUN-6.B**

Evaluate definite integrals analytically using the Fundamental Theorem of Calculus.

**FUN-6.C**

Determine antiderivatives of functions and indefinite integrals, using knowledge of derivatives.

**FUN-6.D**

For integrands requiring substitution or rearrangements into equivalent forms:

- (a) Determine indefinite integrals.
- (b) Evaluate definite integrals.

**FUN-6.D**

For integrands requiring substitution or rearrangements into equivalent forms:

- (a) Determine indefinite integrals.
- (b) Evaluate definite integrals.

**FUN-6.E**

For integrands requiring integration by parts:

- (a) Determine indefinite integrals. **BC ONLY**
- (b) Evaluate definite integrals. **BC ONLY**

**FUN-6.F**

For integrands requiring integration by linear partial fractions:

- (a) Determine indefinite integrals. **BC ONLY**
- (b) Evaluate definite integrals. **BC ONLY**

**ESSENTIAL KNOWLEDGE**

**FUN-6.A.1**

In some cases, a definite integral can be evaluated by using geometry and the connection between the definite integral and area.

**FUN-6.A.2**

Properties of definite integrals include the integral of a constant times a function, the integral of the sum of two functions, reversal of limits of integration, and the integral of a function over adjacent intervals.

**FUN-6.A.3**

The definition of the definite integral may be extended to functions with removable or jump discontinuities.

**FUN-6.B.1**

An antiderivative of a function  $f$  is a function  $g$  whose derivative is  $f$ .

**FUN-6.B.2**

If a function  $f$  is continuous on an interval containing  $a$ , the function defined by  $F(x) = \int_a^x f(t) dt$  is an antiderivative of  $f$  for  $x$  in the interval.

**FUN-6.B.3**

If  $f$  is continuous on the interval  $[a, b]$  and  $F$  is an antiderivative of  $f$ , then  $\int_a^b f(x) dx = F(b) - F(a)$ .

**FUN-6.C.1**

$\int f(x) dx$  is an indefinite integral of the function  $f$  and can be expressed as  $\int f(x) dx = F(x) + C$ , where  $F'(x) = f(x)$  and  $C$  is any constant.

**FUN-6.C.2**

Differentiation rules provide the foundation for finding antiderivatives.

**FUN-6.C.3**

Many functions do not have closed-form antiderivatives.

**FUN-6.D.1**

Substitution of variables is a technique for finding antiderivatives.

**FUN-6.D.2**

For a definite integral, substitution of variables requires corresponding changes to the limits of integration.

**FUN-6.D.3**

Techniques for finding antiderivatives include rearrangements into equivalent forms, such as long division and completing the square.

**FUN-6.E.1**

Integration by parts is a technique for finding antiderivatives. **BC ONLY**

**FUN-6.F.1**

Some rational functions can be decomposed into sums of ratios of linear, nonrepeating factors to which basic integration techniques can be applied. **BC ONLY**